

DP-003-2016051

Seat No.

B. Sc. (Sem. VI) Examination

March - 2022

Disign of Experiments & Sampling Techniques

Faculty Code: 003

Subject Code: 2016051

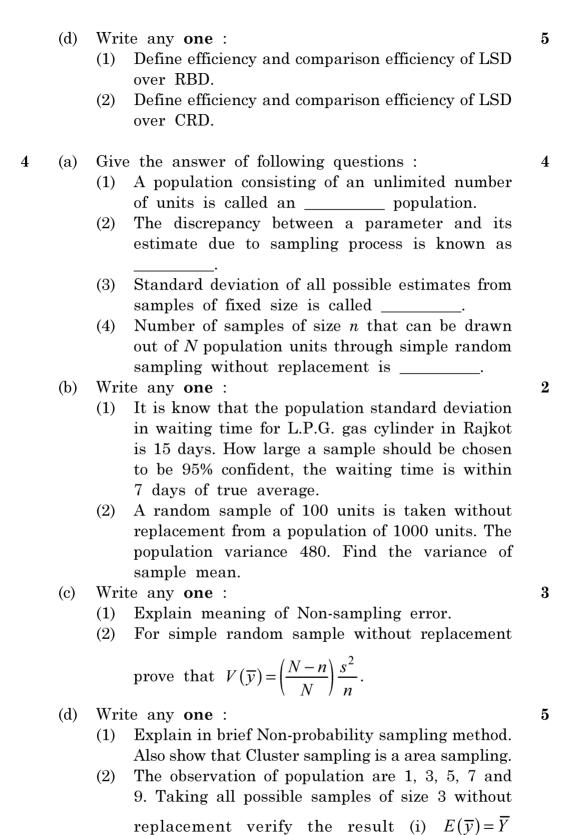
Tim	e : 2	$\frac{1}{2}$ H	ours]					[T]	'otal Ma	rks : 70			
1	(a)	Give (1) (2)	·										
		(3)	Randomi	zatio 	n in	an ex	kperi	ment helps					
	(b)	(4) Writ (1)	te any on Define A	ne :		devi	ice t	o maintain		· 2			
	(c)									3			
		(1)	the norm	nal p thesi	opula	ation	wit	ave been ob h equal va that popula	riance. T	$\Gamma \mathrm{est}$			
			$\begin{array}{c c} x_1 & 20 \\ \hline x_2 & 18 \end{array}$	21 20	23 17	16 25	20 15						
		(2)	x_3 25	28	22	28	32						

- (2) Explain basic principle of design of experiment.
- (d) Write any one:

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- (1) State basic principle of design of experiment and explain any two.
- (2) Analysis of two way classification.

2	(a)	Give the answer of following questions:	4								
		(1) When all experimental units are homogeneous, the									
		most suitable design for an experiment is									
		(2) Each block in a randomized block design is a									
		(3) There are as many units in a block as the number of in a randomized block design.									
		(4) A Latin square design controls heterogeneity.									
	(b)	Write any one:									
		(1) Define RBD.									
		(2) Write ANOVA table of LSD.									
	(c)	Write any one:									
	. ,	(1) Explain estimation of one missing plot in LSD.									
		(2) Explain analysis of RBD.									
	(d)	Write any one:									
	()	(1) Define LSD and analysis it.	5								
		(2) Analysis two missing treatments in RBD with									
		same block or different block.									
3	(a)	Give the answer of following questions:									
	` '	(1) An experiment involving two or more factors at various levels is called a experiment.									
		(2) The linear combination $T_1 - 3T_2 + T_3$ of three treatments is									
		(3) A factorial experiment, with equal number of levels of all factors, is called a factorial experiment.									
		(4) Given two factors A and B each at 2 levels the simple effect B at the second level of A is									
	(b)	Write any one:									
	` ,	(1) Define Factorial experiment.									
		(2) Define complete confounding.									
	(c)	Write any one:									
	(-)	(1) Write the set of orthogonal contrasts for main effects and interaction effect in 2^2 factorial experiment.									
		(2) Define efficiency and comparison efficiency of RBD over CRD.									



5	(a)	Give the answer of following questions: (1) Stratified sampling is appropriate when population is											4	
		(2)	When the population size N is a multiple of sample size n , systematic sampling appropriate.											
		(3) In stratified random sampling, the variance of \bar{x}												
			for fixed total size of sample is minimum if n_i											
		(4)	is proportional to Determination of sample size for each stratum subject to the cost constrained is known as allocation.											
	(b)	Write any one:											2	
		(1) Find the population mean and variance of str sample mean from the given data.									ratified			
		$N_1 = 600, N_2 = 800, n_1 = 60, n_2 = 80, \overline{Y}_1 = 52,$												
		$\overline{Y}_2 = 60, S_1^2 = 200, S_2^2 = 400$												
		(2) Values of 20 units of a population are												
			11 1	6 1	.3	15	14	12	9	10	19	20		
			17 1	3 1	4	15	9	8	18	15	11	25		
			size 4 popula	di dition	aw . C	n v alcu	without late	out the	repl mea	acen n of	ient each	fro n sys	nples of m this tematic ean are	
	(c)	Write any one :											3	
		(1) Prove that $V(\overline{y}_{st})$ is minimum for fixed total size												
		of the sample n and $n_i sim N_i S_i$.												
		(2) Write the difference between Simple Random Sampling technique and Stratified Random Sampling Technique.												
	(d)		any	_										5
		(1)	If the population consists of a linear trend then											

(2)

 $\text{prove that } V\left(\overline{y}_{st}\right) \leq V\left(\overline{y}_{sys}\right) \leq V\left(\overline{y}_{n}\right)_{ran}.$

Prove that $V(\overline{y})_{ran} \ge V(\overline{y}_{st})_{prop} \ge V(\overline{y}_{st})_{opt}$.